## November 17th

 ImagesChapter 35


Darrell suspected someone had once again slipped him a spoon with the concave side reversed.

## Plane mirrors (Fig. 35-2)

- Mirror - surface which reflects light in one direction instead of scattering it in many directions or absorbing it
- Plane mirror - flat reflecting surface
- Extend reflected rays from O behind mirror $O$
- Intersect at point of virtual image I



## Plane mirrors (Fig. 35-3)

- Plane mirror - virtual image $I$ is as far behind the mirror as the object $O$ is in front of it
- By convention, object distances $p$ are positive, image distances i for virtual images are negative

$$
i=-p
$$

## Plane mirrors (Figs. 35-4, 35-5)

- Plane mirror - virtual image I has same orientation and height as object O

- Only portion of mirror smaller than pupil of eye is used to form images



## Spherical mirrors (Fig. 35-6)

- Spherical mirror - small section of the surface of a sphere
- Concave mirror - plane mirror caved in
- Center of curvature is in front of mirror
- Field of view is smaller
- Image is farther behind mirror and taller
- Make-up or shaving mirror



## Spherical mirrors (Fig. 35-6)

- Convex mirror - plane mirror is flexed out
- Center of curvature is behind the mirror
- Field of view is larger
- Image is closer to the mirror and smaller
- Surveillance mirror



## Spherical mirrors (Fig. 35-7)

- Object O infinite distance from mirror on central axis
- Concave mirror - focuses real image at a focal point in front of the mirror
- Convex mirror - focuses a virtual image at a focal point behind the mirror
- Distance from center of mirror to image is called focal length, $f$

(a)



## Spherical mirrors (Fig. 35-6)

- Concave mirror has a real focal point
- Convex mirror has a virtual focal point indicated by a negative focal length
- Focal length, $f$ is related to

(a) radius of curvature, $r$ of mirror
- $r$ is + for concave, - for convex

$$
f=\frac{1}{2} r
$$



## Spherical mirrors (Fig. 35-9)



- Locate images by drawing rays
- Ray parallel to central axis, reflects through focal point (Ray 1)
- Ray passing through focal point, reflects parallel to central axis (Ray 2)
- Ray passing through center of curvature returns along itself (Ray 3)
- Ray hits mirror at intersection with central axis, reflects symmetrically about central axis (Ray 4)


## Concave mirrors (Fig. 35-8)

- If object O inside focal point, $p<f$
- Extend rays behind mirror to find image I
- Image I is
- Virtual
- Bigger than object O

- Same orientation as object


## Concave mirrors (Fig. 35-8)

- If object O at focal point, $p=f$
- Neither reflected or extended rays cross to form image
- Image is moved to infinity



## Concave mirrors (Fig. 35-8)

- If object O between focal point $f$ and twice the focal length, $f<p<2 f$
- Image I is
- Real
- Bigger than O
- Inverted

- At distance, $i>2 f$


## Concave mirrors (Fig. 35-9)

- If object O outside two focal lengths, $O>2 f$
- Image $I$ is
- Real
- Smaller than O
- Inverted
- At a distance $f<i<2 f$


## Convex mirrors (Fig. 35-6)

- If object O placed anywhere on central axis
- Image I is
- Virtual
- Smaller than O
- Same orientation
- At distance, i<f

- For mirrors - real images on side where object is, virtual images on opposite side
- Convex and plane mirrors only form virtual images, have same orientation as object


## Spherical mirrors (Fig. 35-8)

- Formula for focal length, $f$

$$
\frac{1}{p}+\frac{1}{i}=\frac{1}{f}
$$

- Object distance $p$ is +
- Image distance $i$ is + for
 real images, - for virtual images
- Focal length $f$ is + for concave mirror, - for convex mirror


## Spherical mirrors (Fig. 35-8)

- Size of object or image measured $\perp$ to central axis is defined to be height $h$
- Ratio of image's height $h^{\prime}$ to object's height $h$ is called lateral magnification

$$
|m|=\frac{h^{\prime}}{h}
$$

- Also written

$$
m=-\frac{i}{p}
$$

- $m$ is + for same orientation
- $m$ is - for inverted image
- Plane mirror $m=+1$


## Checkpoint \#2

- Vampire bat is dozing on central axis of spherical mirror. It is magnified by $\mathrm{m}=-4$. Is this image a) real or virtual, b) inverted or same orientation as bat, c) on the same or opposite side of mirror as bat?
- $m=-4$ tells us image is bigger and inverted
- $m$ is negative so i must be positive and the image is real - Real images only occur on same side of mirror
- Only concave mirrors give real images



## Spherical mirrors table

| Mirror <br> Type | Object <br> Location | Image <br> Location | Image <br> Size | Image <br> Type | Image <br> Orient- <br> ation | Sign <br> of $f$ | Sign <br> of $i$ | Sign <br> of |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Plane | Any- <br> where | $\mathrm{i}=-\mathrm{p}$ | Equal | Virtual | Same | $\infty$ | - | +1 |
| Concave | $\mathrm{p}<\mathrm{f}$ | Any- <br> where | Bigger | Virtual | Same | + | - | + |
| Concave | $\mathrm{f}<\mathrm{p}<2 \mathrm{f}$ | $\mathrm{i}>2 \mathrm{f}$ | Bigger | Real | Invert | + | + | - |
| Concave | $\mathrm{p}=2 \mathrm{f}$ | $\mathrm{i}=2 \mathrm{f}$ | Equal | Real | Invert | + | + | - |
| Concave | $\mathrm{p}>2 \mathrm{f}$ | $2 \mathrm{f}>\mathrm{i}>\mathrm{f}$ | Smaller | Real | Invert | + | + | - |
| Convex | Any- | $\mathrm{li}\|<\|\mathrm{f}\|$ | Smaller | Virtual | Same | - | - | + |

