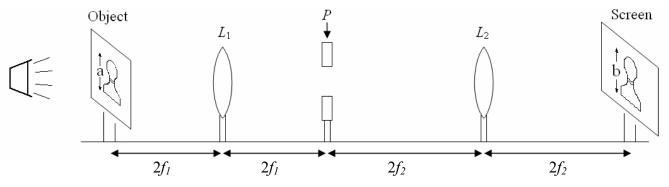
In this experiment you will examine an optical system known as a periscope. The apparatus can also be operated as a telescope, and you will be asked to compare the observer's perceptions of the magnification of these two modes. A major theme is that not every light ray emanating from an object completes the journey to the final image – stops and pupils limit or block many of these rays.

## Procedure:

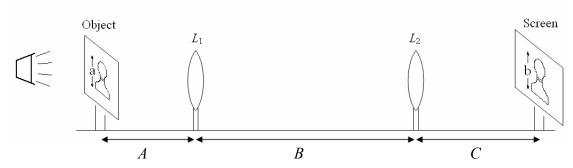
A. Set up the following system using two lenses of equal diameter, but not necessarily equal focal lengths. You may find it convenient to replace the screen with a reticle. Construct a bright object by backlighting tracing paper with a halogen lamp. Define the object to have a diameter of 1-2 mm using masking tape. You will probably need an iris between the lamp and the object to prevent stray light rays from interfering with the rest of the system. Note that in this simple system the light rays are limited by the diameter of the lenses. Hence,  $L_I$  plays the role of both the aperture stop and entrance pupil.



- B. Use equation (1) of the appendix to predict the magnification of the periscope M=b/a. Measure the object and image sizes to find your measured M (including uncertainty). Does it agree with your expectation?
- C. Put a field stop at point P. Does this eliminate a blurred portion of the image? Q1 What was the source of the blurring? (Hint: if you placed an object at the position of either lens, would it be in focus on your screen?) Q2 Assuming that the blurring is related to the edges of the lenses, can you determine which lens is the culprit? Try putting the field stop at a position other than P. Q3 Does it work as effectively? Can you explain why or why not?
- D. The system can now be used as a telescope by turning off the lamp and replacing the screen with your eye. You will find that you cannot immediately focus on the image. Move  $L_2$  towards the object until you are able to see it clearly through the telescope. **Q4** Why is it necessary to shift  $L_2$ ? Now estimate the apparent magnification of the object from your current point of view. In other words, compare the angle subtended by the image  $\theta_i$  to the angle subtended by the distant object  $\theta_0$ . How does  $\theta_i/\theta_0$  compare to M? **Q5** Can you explain the discrepancy?

## Appendix

Here is a description of the general system.



The image produced by the first lens  $L_1$  is at a position  $s_1$  and is given by

$$\frac{1}{A} + \frac{1}{s_1} = \frac{1}{f_1}$$
 so that  $s_1 = \frac{Af_1}{A - f_1}$ .

The object is at  $B - s_1$  for the second lens  $L_2$  and the final image is at C so that

$$\frac{1}{C} + \frac{1}{B - s_1} = \frac{1}{f_2} \text{ so that } C = \left[ \frac{1}{f_2} - \frac{1}{B - \frac{Af_1}{A - f_1}} \right]^{-1}.$$

The magnification  $m_1 = \frac{-s_1'}{A}$  and the magnification  $m_2 = \frac{-C}{B - s_1'}$ , so that the total magnification  $M = m_1 m_2$  is given by

$$M = \frac{f_1}{A - f_1} \frac{C - f_2}{f_2} \tag{1}$$