

You may use one sheet of notes. You may not use books or additional notes.

Name	
PID	
1	/ 9
2	/ 4
3	/ 5
4	/ 6
Total	/ 24

Planet	Period (yr)	Semi-major axis (AU)	Eccentricity
Mercury	0.241	0.387	0.206
Venus	0.615	0.723	0.007
Earth	1.000	1.000	0.017
Mars	1.881	1.523	0.093
Jupiter	11.86	5.202	0.049
Saturn	29.46	9.539	0.056

1) a) Unlike earth, which rotates on its axis 365 times a year, the rotation of Venus around its axis is much slower, slower in fact than one of its rotations around the sun. ✓

b) Kepler's 3rd Law discusses a planets ^{orbital radius} size and period to be related, it is the equation $P^2 = R^3$. Kepler did not know however that the mass of the star was also involved in this equation, which is something Newton learned about Kepler's 3rd law. The equation Newton derived from Kepler's 3rd law was $P^2 = \frac{R^3}{M_{\text{star}}}$ ✓

Fig 1

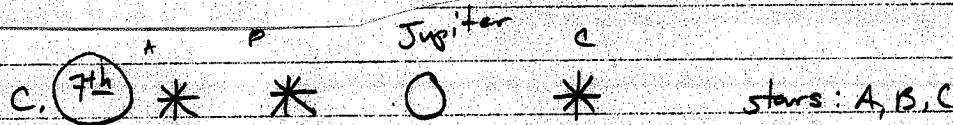


Fig 2 What he would have seen

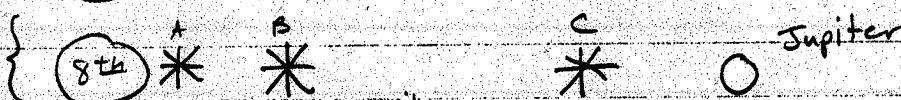
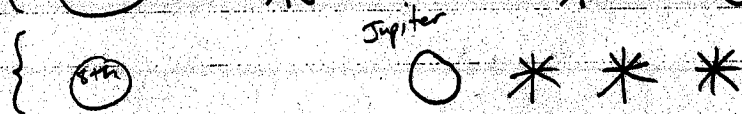


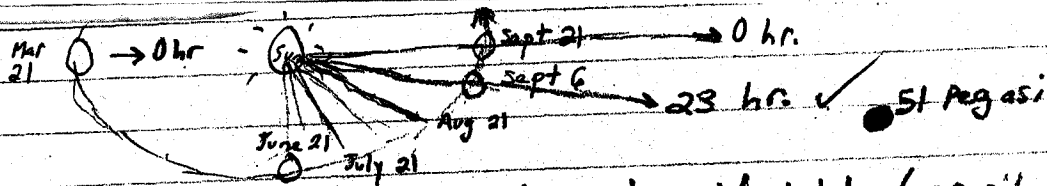
Fig 3 what he did see



There is an obvious discrepancy here because the glowing objects are in fact not stars. If they were stars, retrograde motion would be observed and the pattern would be similar to what is drawn in Fig 2. Of course, no retrograde motion is observed and stars A, B, and C are not stars. ✓

Similarities: All "stars" are on the same side of Jupiter for either Fig 2 or 3.
Differences: The side the stars are on are different from Fig 2 to 3.
The spacing among the stars is also different from one figure to the other.

2.



On Sept 6, it is on the meridian at midnight (opposite the sun)

3. If Jupiter is considered as the "star," then $p^2 = \frac{a^3}{M_J}$

Need period and distance from Jupiter of any one its moons.

convert

need to know in yrs & AU

$$M_J = \frac{a^3}{p^2}$$

in SUN Masses

4. a. Eccentricity = $\frac{\text{distance between foci}}{\text{major axis}} \rightarrow \text{Foci dis} = (e)(a)$

$$\text{Foci dis} = (.017)(2) = .034 \text{ AU}$$

$$\text{Distance b/t Earth & Sun} = (\text{semi-major axis}) - \left(\frac{\text{foci dis}}{2}\right)$$

$$\text{Earth-Sun dis} = (1 \text{ AU}) - \left(\frac{.034 \text{ AU}}{2}\right) = .983 \text{ AU}$$

$$.983 \text{ AU} \quad \checkmark 3$$

b. Kepler's 2nd law states that the earth sweeps out equal areas of its orbit during each time period. Therefore, since the Earth is at different distances away from the sun at different times, the speed of revolution must change accordingly. If the Earth is closer to the sun, it will revolve faster and when it is further from the sun, it will revolve slower, in order to maintain equal areas.

c. $\frac{1.017 \text{ AU}}{.983 \text{ AU}} = 1.035$

The sun moves 1.035 times faster with respect to the stars on Jan 2nd than July 2nd.