

Please open the exam when I give the word.

Be sure to write out your algebra!

If you're stuck, still write out what you *can* show.
Then go on to other parts.

If you are missing a previous answer for a further step,
calculate the next step *symbolically* in terms of the previous result.

Use the back sides of sheets for scratch paper

The exam has a maximum of 100 points + 10 extra credit points
For 5 more extra credit points, turn in your Formula Card with your exam

Useful Constants:

$$1 \text{ calorie} = 4.186 \text{ J}$$

$$1 \text{ atmosphere} = 1.01 \text{ E}5 \text{ Pa}$$

$$R = 8.31 \text{ J/mol K}$$

$$\sigma = 5.67 \text{ E-}8 \text{ W/m}^2 \text{ K}^4$$

$$N_A = 6.02 \text{ E}23 \text{ /mol}$$

$$L_f = 80 \text{ c/g} \quad \text{water}$$

$$L_v = 539 \text{ c/g} \quad \text{water}$$

1. [15] By some means, you double the speed of all the molecules in a monoatomic ideal gas contained in a rigid box, that is, $v \rightarrow 2v$ (or $v \times 2$). Give the factor by which this action changes the following quantities. In each case explain why: don't just write down a factor.

a) Kinetic energy per atom

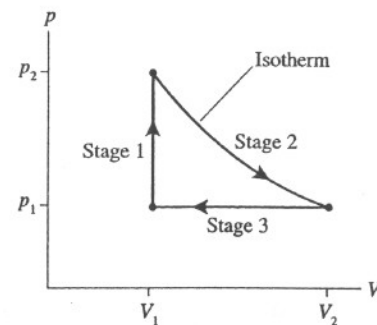
b) V_{rms}

c) Temperature

2. [15] Let us approximate your presence at a party by a rectangular cardboard cutout 1.5 m high x .5 m wide. Assume any light falling on the cardboard is totally absorbed. Your temperature is 37°C . What is the power you radiate throughout the party? *Hint*: even a cardboard cutout has two sides to it.

3. [70] n moles of a monoatomic ideal gas are taken through the cyclic process as shown in the figure. The temperature during stage 1 starts at T_1 and ends at twice T_1 .

Many of the answers are independent; if you are stuck, move on to another question, to sure to get the easy ones. Or define a symbol for answers you can't find and use it. No numerical calculations are needed: put away your calculator.

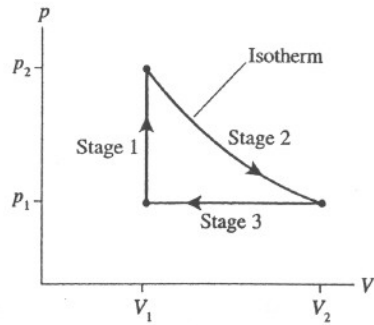


a) [10] What is the **largest theoretical efficiency** this cycle could possibly have, based solely on the temperature information given?

b) [10] Find p_2 in terms of p_1 and numerical constants.

c) [10] Find V_2 in terms of V_1 and numerical constants.

We continue to analyze the same cycle:



d) [15] For each stage, state whether heat is absorbed or released by the gas, and **justify your answer**.

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e) [10] Calculate the heat transfer for stage 1 *in terms of n , constants, and $T1$* .

f) [15] For each stage, calculate the work done (including sign), *in terms of n , constants, and $T1$* (or $p1$ and $V1$ if you're stuck). *Hint: use the ideal gas law to write $p(V)$*

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g) [10] Extra credit: Calculate the change in entropy of the gas during stage 1.