$m_{n}(f=$ SetDirectory [
"/Users/OurMacBookAir/Documents/Teaching.2018.current/introduction .current"];
FileNames[];
map = Import["map.png"];
$\ln [-\rho:=$ map


## PHY 842 - Lecture 1

## Why are you taking PHY 842?

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## At MSU WE HAVE 7 SEMESTER-LONG COURSES ON

 ELECTROMAGNETISM.PHY $184=$ Physics for Scientists and Engineers II (fresh/soph) $\checkmark$
PHY $431=$ Optics ( $\mathrm{jr} / \mathrm{sr}$ ) $\checkmark$
PHY $481=$ Electricity and Magnetism I (jr/sr) $\checkmark$
PHY $482=$ Electricity and Magnetism II (jr/sr) $\checkmark$
PHY 841 = Classical Electrodynamics I (grad) $\checkmark$
PHY 842 = Classical Electrodynamics II (grad)
PHY 855/955 = Quantum Field Theory and Relativistic QFT (grad)

# You have already taken 5 courses on electromagnetism. Why are you taking another one? 

3
All physicists must understand electromagnetism, because

- Electromagnetism is one of the 4 fundamentali interactions;
gravity,
-electromagnetism,
strong interactions (QCD), -weak interactions (standard model; EWSB)
- Electromagnetism is the simplest of the four fundamental interactions.
- QCD and the electroweak standard model are extensions of QED.
(QED, QCD, and the standard model are all gauge-invariant field theories.)
- Gravity is different.
(It's like a field theory on steroids.)

If you don't learn electromagnetism, then you won't understand the other interactions.

## 4

Mastering electromagnetism is a long process because each course requires a step higher in mathematical techniques.
PHY 184:
$\oint \vec{E} \cdot \mathrm{~d} \vec{A}=Q_{\text {enclosed }} / \epsilon_{0}$
$\oint \vec{B} \cdot \mathrm{~d} \vec{I}=\mu_{0} I_{\text {through }} \quad$ etc
PHY 481/2:
$\operatorname{div} \vec{D}=\rho_{\text {free }}$
curl $\vec{H}=\vec{J}_{\text {free }}$
$\vec{D}=\epsilon \vec{E} \quad, \quad \vec{H}=\vec{B} / \mu \quad$ etc
PHY 841/2: same equations in Gaussian units; plus E.M. waves
PHY 855/955: the fields are quantized; i.e, a Hilbert space of photons

5
Electromagnetism has both

$$
\begin{aligned}
& \text { quantum effects (photons) }=\text { QED } \\
& \text { macroscopic effects }=\text { CED }
\end{aligned}
$$

The macroscopic effects are important in electrical engineering, design of experimental apparatus, applications to condensed matter physics and many other examples;

CED is the subject of PHY 841 and 842 .

6

## Outline of Jackson

$(1,2,3)$ Electrostatics in "vacuum"
(4) Dielectrics; $\vec{P}$ and $\vec{D}$
(5) Magnetostatics in "vacuum" and magnetic materials; $\vec{M}$ and $\vec{H}$
(6) Time-dependent fields; Maxwell's equations and field theory
(7) Electromagnetic waves (waves in "infinite volume")
(8) Wave guides and resonant cavities (fields in "finite volumes")
(9) Scattering of E.M. waves
(10) Radiation of E.M. waves
$(11,12)$ Special Relativity $\in$ derived by Einstein from Maxwell's field theory
$(13,14,15)$ Various advanced topics
(16) Limitations of classical physics

Which chapters do you already know?
Which chapters do you need to learn?
The first homework assignment is due Friday.

## 7

## Homework Assignment \#1 due Friday

We are not going to use Jackson as the primary textbook.

We'll use Wilcox and Thron as the required textbook!

But everything is in Jackson, so we'll sometimes refer to Jackson.

8
Units of Measurement in Electromagnetism
Read the Appendix!
The two most common systems of units are "SI units" and "Gaussian esu units".
■ Jackson uses SI units in some chapters and Gaussian esu units in other chapters.

- Elementary textbooks (PHY 184 level) always use SI units.
- Most intermediate textbooks (PHY 481/2) use SI units.
-0 Wilcox and Thron use Gaussian (esu) units.
- Electrical engineering: SI - Theoretical physics: Gaussian esu (CED) or Gaussian emu (QED)

If we're going to calculate numbers then we need to know the units.

Example: What is the charge of an electron?
In SI units, $\mathrm{e}=1.602 \times 10^{-19} \mathrm{C}$ (coulomb)
In esu units, $\mathrm{e}=4.803 \times 10^{-10} \mathrm{esu}$ (or, statcoulomb)

$$
1.602 e-19 \times 2.998 e 8=4.803 e-10
$$

Example: What is the magnetic field at distance $\mathrm{r}=1 \mathrm{~cm}$ from a long straight current-carrying wire, with $\mathrm{I}=1 \mathrm{amp}$ ?
In SI units, $\mathbf{B}=2 \times 10^{-5} \mathrm{~T} \Longleftarrow \mu \mathrm{O} /(2 \pi \mathrm{r}) \mathrm{SI}$ In esu units, $B=2 \mathrm{nG} \Longleftarrow 2 \mathrm{I} /(\mathrm{cr})$ gaussian
"Gaussian units" are more difficult than a simple change of units. The field equations are different for Gaussian and SI units. (Homework problem I.)
9.

Microscopic Electrostatics of Point
Charges
Gaussian
$\vec{F}=q_{1} \vec{E}_{2}$
$\vec{F}_{12}=q_{1} q_{2}\left(\vec{x}_{1}-\vec{x}_{2}\right) /\left|\vec{x}_{1}-\vec{x}_{2}\right|^{3}$
$\vec{E}(\mathrm{q})=\mathrm{q}\left(\vec{x}-\vec{x}^{\prime}\right) /\left|\vec{x}-\vec{x} \vec{x}^{\prime}\right|^{3}$
Systems Internationale
$\vec{F}=q_{1} \vec{E}_{2}$
$\vec{F}_{12}=\left(q_{1} q_{2}\right) /\left(4 \pi \epsilon_{0}\right)\left(\vec{x}_{1}-\vec{x}_{2}\right) /\left|\vec{x}_{1}-\vec{x}_{2}\right|^{3}$
$\vec{E}(\mathrm{q})=q /\left(4 \pi \epsilon_{0}\right)(\vec{x}-\vec{x}) /|\vec{x}-\vec{x}|^{3}$

Microscopic Magnetostatics of Wire Elements

## Gaussian

$\mathrm{d} \vec{F}=\left(I_{1} / c\right) \overrightarrow{\mathrm{d}}_{1} \times \vec{B}_{2}$
$\mathrm{d} \vec{F}_{12}=\left(I_{1} I_{2} / c^{2}\right) \overrightarrow{\mathrm{d}}_{1} \times\left\{\mathrm{d}_{2} \times\left(\vec{x}_{1}-\vec{x}_{2}\right)\right\} /$
$\left|\vec{x}_{1}-\vec{x}_{2}\right|^{3}$
$\mathrm{d} \vec{B}(\vec{x})=(I / C) \overrightarrow{\mathrm{dl}^{\prime}} \times\left(\vec{x}-\vec{x}^{\prime}\right) /\left|\vec{x}-\vec{x}^{\prime}\right|^{3}$
Systeme Internationale
$\mathrm{d} \vec{F}=I_{1} \overrightarrow{\mathrm{~d}}_{1} \times \vec{B}_{2}$
$\mathrm{d} \vec{F}_{12}=\left(\mu_{0} l_{1} l_{2}\right) /(4 \pi) \quad \overrightarrow{\mathrm{d}}_{1} \times\left\{\overrightarrow{\mathrm{d}}_{2} \times\left(\vec{x}_{1}-\vec{x}_{2}\right)\right\}$
$/\left|\vec{x}_{1}-\vec{x}_{2}\right|^{3}$
$\mathrm{d} \vec{B}(\vec{x})=\left(\mu_{0} /\right) /(4 \pi) \quad \overrightarrow{\mathrm{dl}^{\prime}} \times\left(\vec{x}-\vec{x}^{\prime}\right) / \mid \vec{x}-\vec{x}$, $\left.\right|^{3}$
10.

Pick up the handouts
-Syllabus for PHY 842
-Homework Assignment \#1
Hand in the quiz.
Quiz question:
Why are you taking PHY 842?
The answer "Because it is required" will not be accepted.
Why is it required? Or, give another answer.

