



Figure 16: The *chiral vector*  $C_h$  defines the wrapping of a *graphene* monolayer to a *nanotube*.

$R = V/I$ , given by the ratio of the applied voltage  $V$  and the current  $I$ . Conductance of one-dimensional structures such as *nanotubes* may differ from that of the related layered substance. Insulating substances such as *boron nitride* yield insulating nanotubes. Metallic or semi-metallic layered substances, including *graphite*, may yield metallic, semi-metallic or semiconducting nanotubes. The conductance of a particular *single-wall nanotube* is dominated by quantization effects that depend on its *chiral index*  $(n, m)$ . Carbon nanotubes, where  $n - m$  is divisible by 3, are metallic or semi-metallic; all other nanotubes are semiconducting. *Armchair nanotubes* with the chiral index  $(n, n)$  are truly metallic, *ambipolar* conductors. Within the *bal-*

*listic* regime, conductance of metallic or semi-metallic one-dimensional structures is quantized in units of the *conductance quantum*  $G_0$ . At small applied voltages, the conductance of metallic single-wall nanotubes is  $G = 2G_0$ , corresponding to a resistance  $R = 1/G \approx 6.5 \text{ k}\Omega$ . [More...]

**Conductance quantum**  $G_0$  is the quantization unit of *conductance* of *nanowires* such as metallic *nanotubes* in the *ballistic* regime. Its value is  $G_0 = 2e^2/h \approx (12.9 \text{ k}\Omega)^{-1}$ , where  $e$  is the electron charge and  $h$  is the Planck constant. [More...]

**Contacts** act as quantum devices on the nanometer scale, often displaying *conductance* quantization or *Coulomb blockade* behavior. Favor-