

- Cartoon: Jim Davis  
*Garfield*



# Announcements

- Correction problem due now!
- Midsemester survey up on LON-CAPA in **Ch7 reading questions** folder
  - 10 questions, please take some time over the next week to fill it out
- Ch 7 reading questions due on Sunday
- Teaching experiment! Uploading solved problems (extensions of clicker questions in class) on LBC Physics You Tube Channel

# The Pasco Motion Sensor

- The sonic ranger measures distance to the nearest object by echolocation.
  - A speaker clicks 30 times a second.  
A microphone detects the sound bouncing back from the nearest object in front of it.
  - The computer calculates the time delay between and using the speed of sound (about 343 m/s at room temperature) it can calculate the distance to the object.

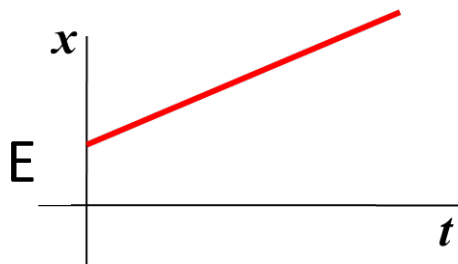
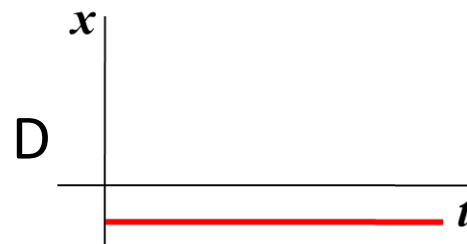
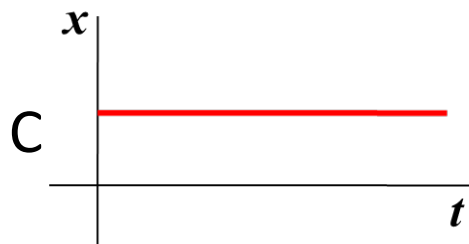
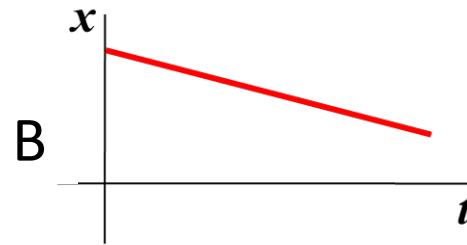
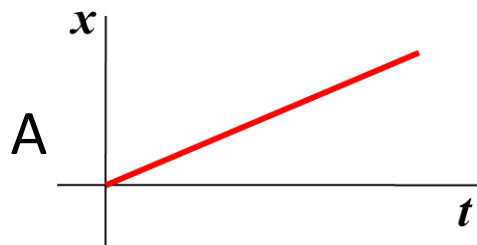


# Making predictions

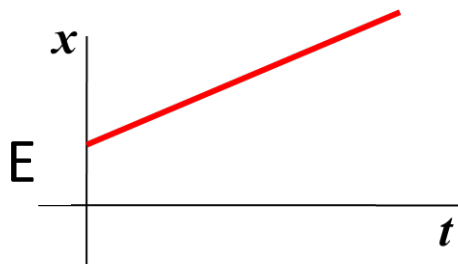
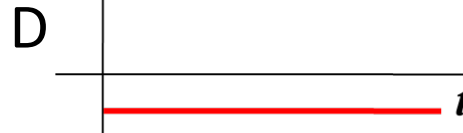
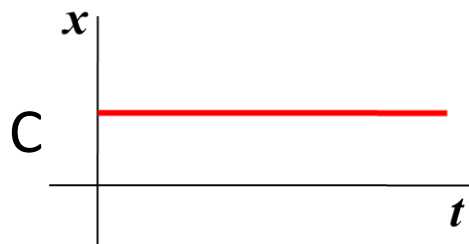
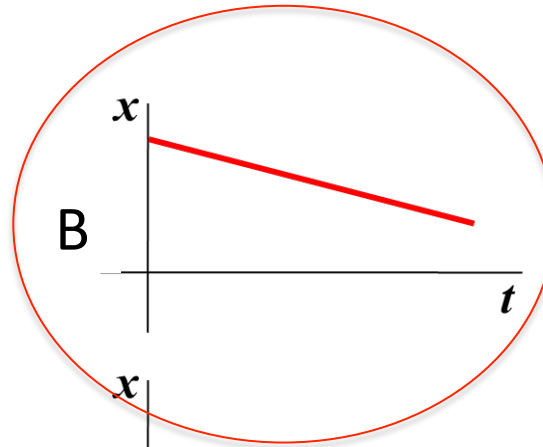
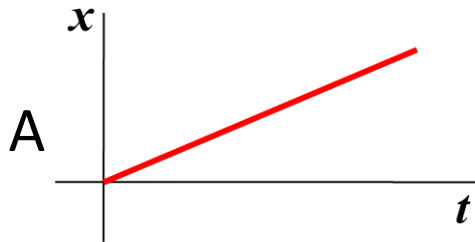
- If I place a motion sensor at the left side of the room and you walk slowly towards it at almost a constant velocity what will the **position** graph look like?

Generate the graph on your whiteboard.

# Which is the correct graph?

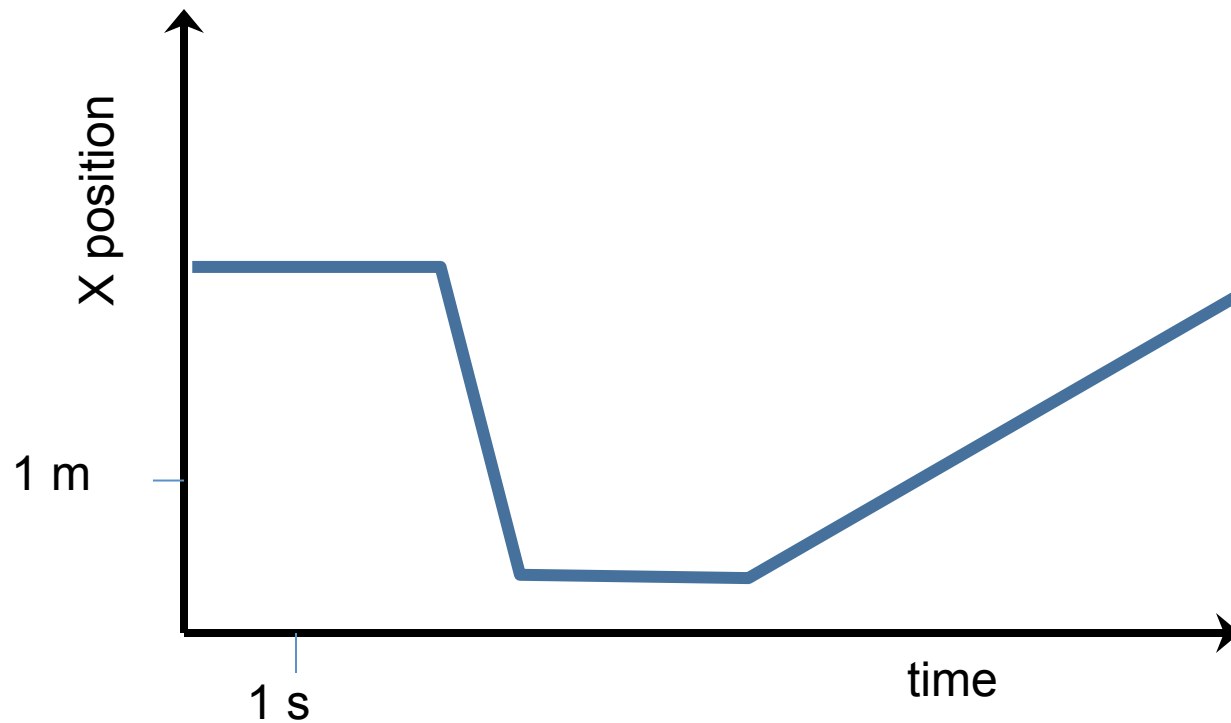


# Which is the correct graph?



- If the sonic ranger is the origin, we should be moving toward the origin at a constant pace.
- The sonic ranger measures distance from it, so as I get closer that distance decreases.

Describe in your own words the motion captured in this position vs time graph



# Velocity: Change in position

- Velocity is the rate of change of position
- Average velocity  
= (how far did you go?)/(how long did it take you?)

- Instantaneous velocity = same  
(but for short  $\Delta t$ )

$$v = \frac{dx}{dt}$$

$$\langle v \rangle = \frac{\Delta x}{\Delta t}$$

Also tells us that the instantaneous velocity is the slope of the position graph at that point in time.

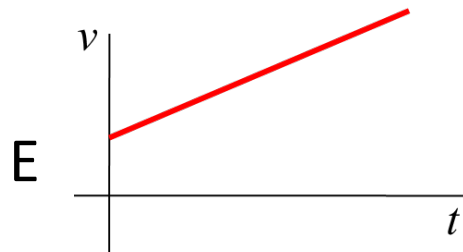
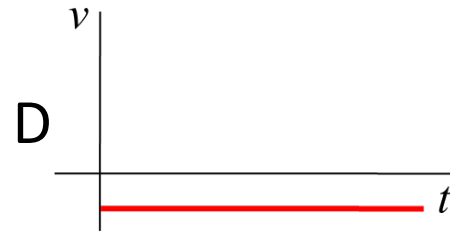
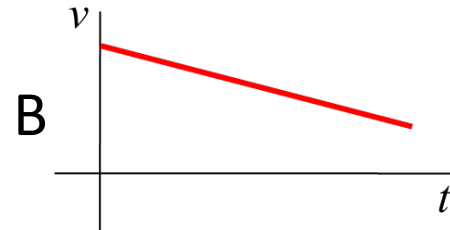
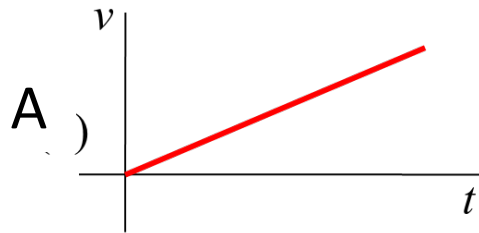


# Making predictions

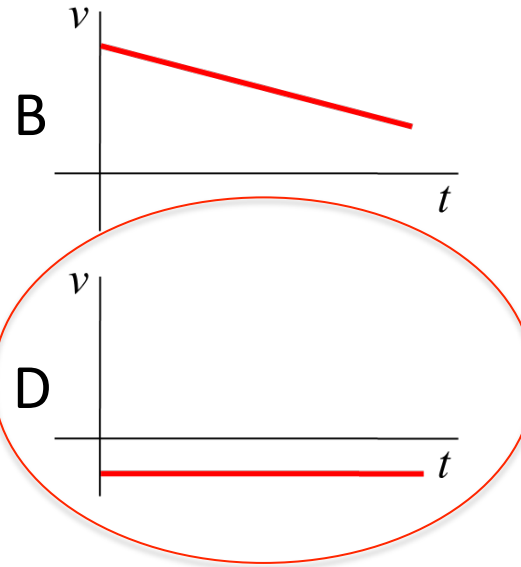
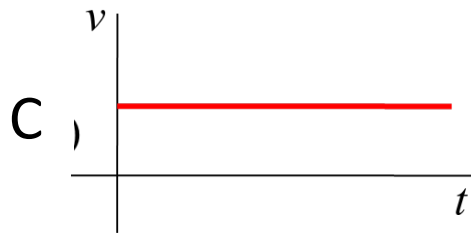
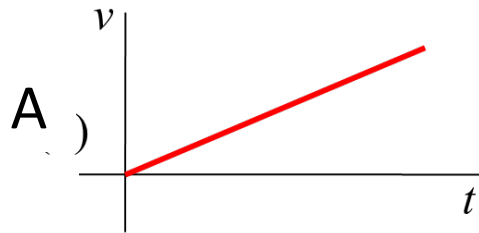
- If I place the sonic ranger at the left side of the room and you walk slowly towards it at almost a constant velocity what will the **velocity** graph look like?

Generate the graph on your whiteboard.

# Which represents the correct velocity graph?



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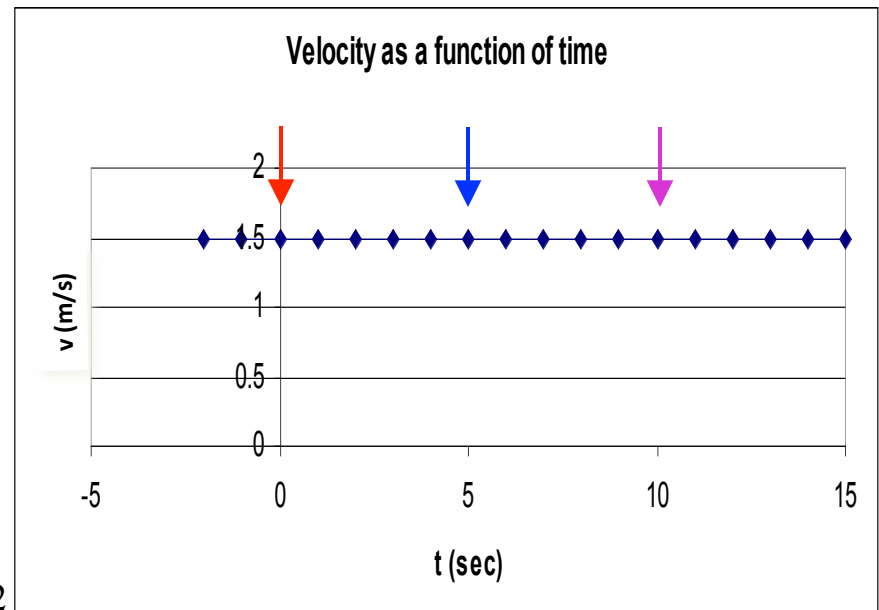
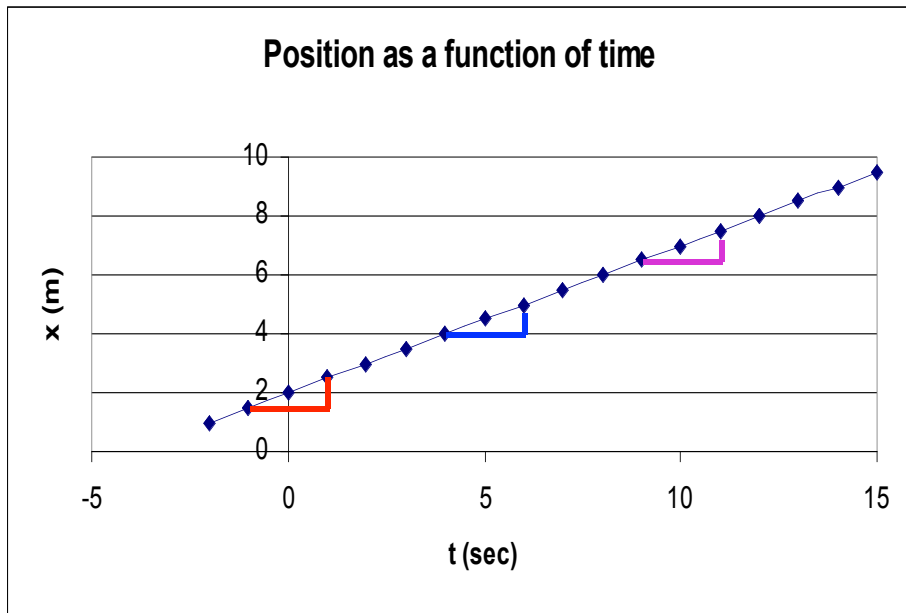
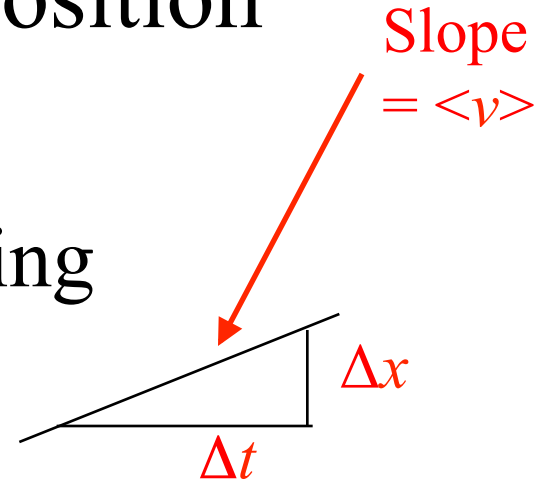


This is the same situation as the position graph from the previous question. So in that case the velocity is constant, but it's moving in the negative direction.

# Graphing velocity: Figuring it out from the position

- You can figure out the velocity graph from the position graph using

$$\langle v \rangle = \frac{\Delta x}{\Delta t} \quad \Delta x = \langle v \rangle \Delta t$$

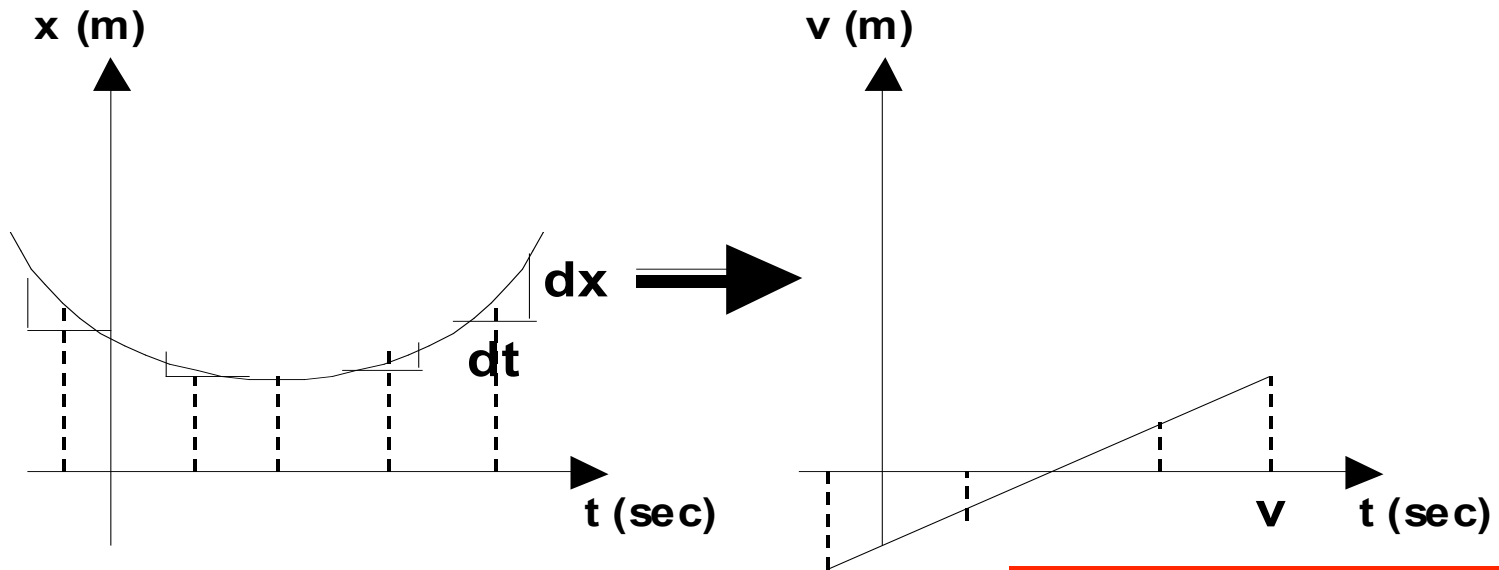


# Graphing Velocity:

## Figuring it out from the motion

- An object in uniform motion has constant velocity.
- This means the instantaneous velocity does not change with time. Its graph is a horizontal line.
- You can make sense of this by putting your mind in “velocity mode” and running a mental movie.

# Position to velocity

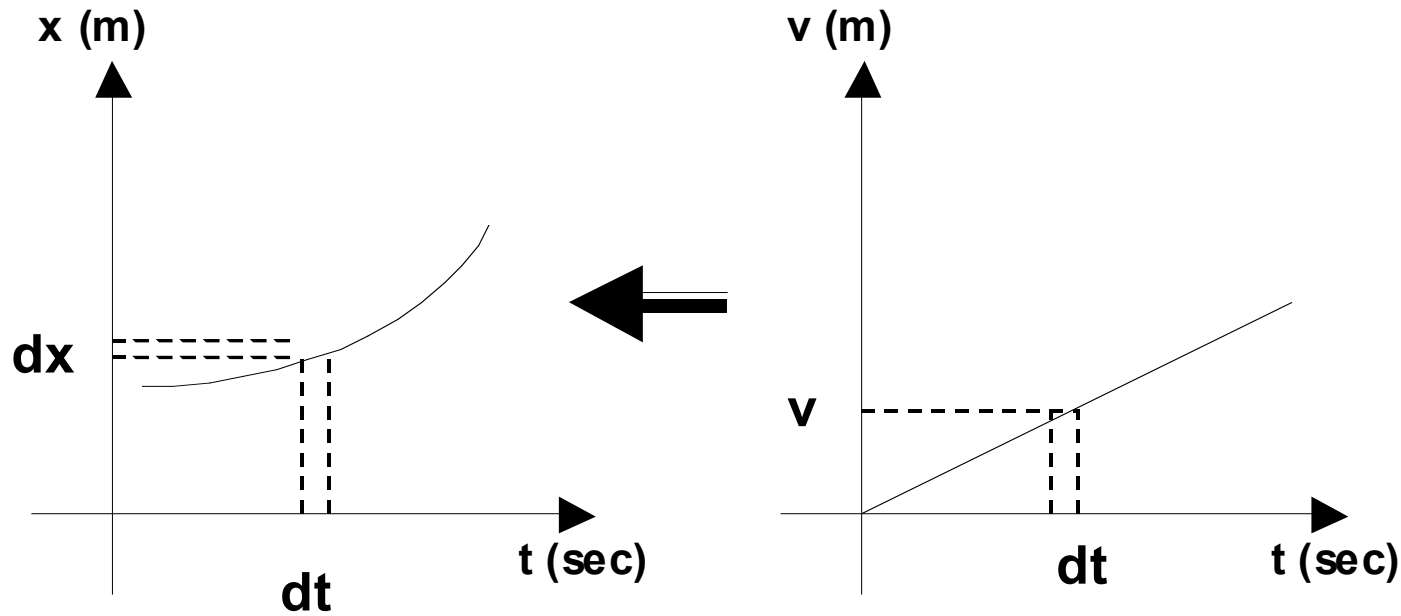


$$v(t) = \frac{dx}{dt}$$

Ratio of change in position that takes place in the (small) time interval

Difference of two positions at two (close) times

# Velocity to position



$$dx = v(t) dt$$

change in position that takes place in a small time interval

sum ("Σ") in the changes in position over many small time intervals

# What have we learned?

## Representations and consistency

- Visualizing where an object is at different times → a position graph
- Visualizing how fast & what direction an object is moving → a velocity graph

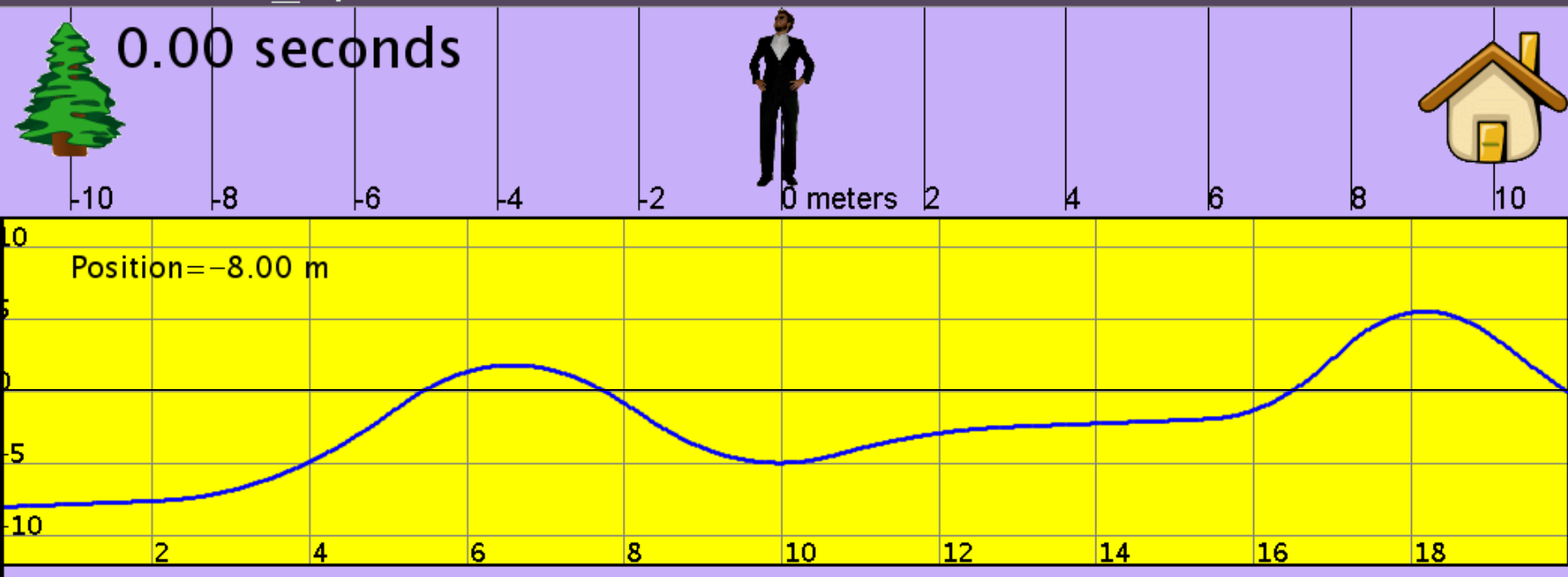
• Position graph → velocity graph

$$\text{slopes } v = \frac{\Delta x}{\Delta t}$$

• Velocity graph → position graph

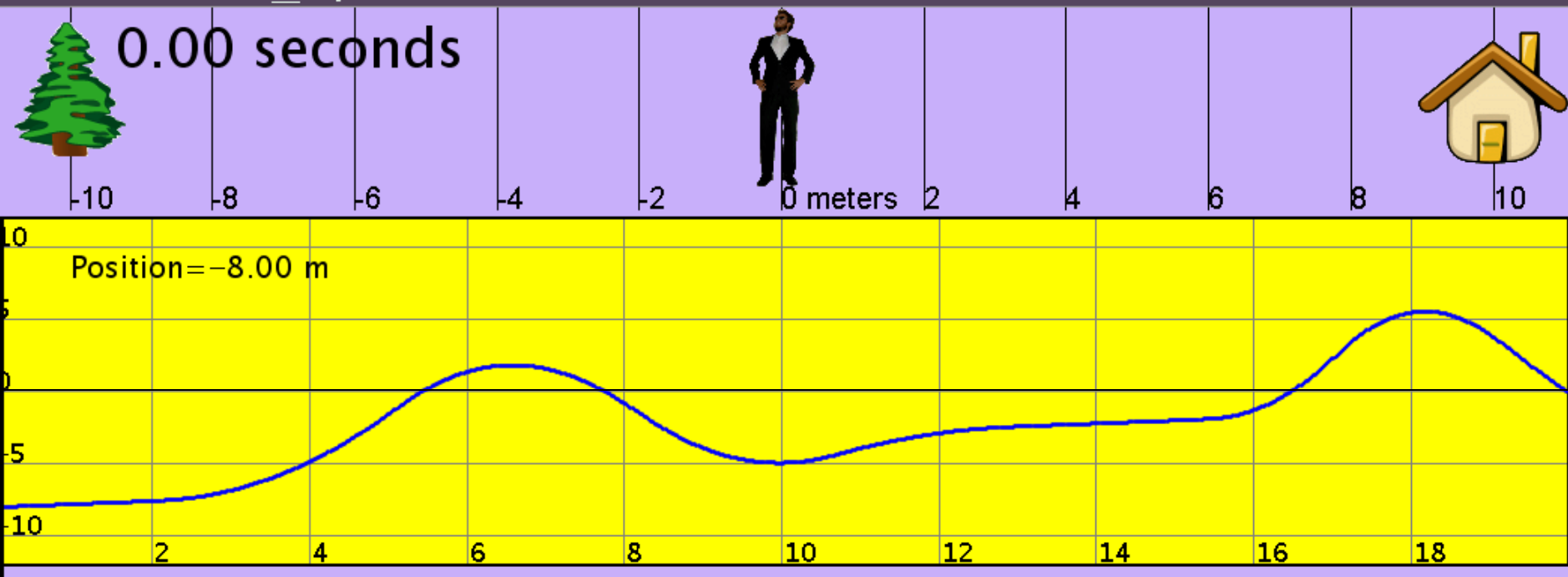
$$\text{areas } \Delta x = v \Delta t$$





How many times does the man's speed go to zero?

- a. Never
- b. Once
- c. Twice
- d. Three times
- e. Four times



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There are three "peaks" in this graph, or points where the tangent line to the curve has a slope of zero. So the speed goes to zero three times.

# Example

Hint! Describe in words what is happening first!

A ball rolling is rolling at a constant speed along a horizontal track as shown.

It comes to a hill and has enough speed to get over it. By thinking about its speed as it goes, sketch a graph of the position of the ball as a function of time. (ignore friction)



# Which graph best describes the motion?

