

Nov 16, 2015

LB 273, Physics I

Prof. Vashti Sawtelle  
Prof. Leanne Doughty

**Today:**

**Chapter 8 – Angular Momentum**

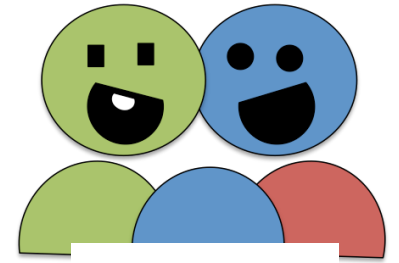
**Chapter 9 – Work and Kinetic Energy**

*Irish Phrasebook*

***auldfella and auld wan** – your father and mother*

# Torque and Angular Momentum

$$\vec{\tau}_{\text{net}} = d\vec{L}/dt$$



Discuss It!

How can you explain Alex's change in angular momentum if the system includes everything?

# Exam 3

- When?
  - Monday 23<sup>rd</sup>
- What's on it?
  - Conservation of momentum
  - Rotational motion
  - Energy
- Review
  - Materials on LON-CAPA
  - Extra office hours
    - Thursday 19<sup>th</sup> 5:30pm-8:30pm
    - Friday 20<sup>th</sup> 1:00pm-4:00pm

# Announcements

- LON-CAPA HW for Ch 9 & Ch 10 due Friday 20<sup>th</sup>
- On-paper HW due on Monday 23<sup>rd</sup>
  - This will help you prepare for Exam 3

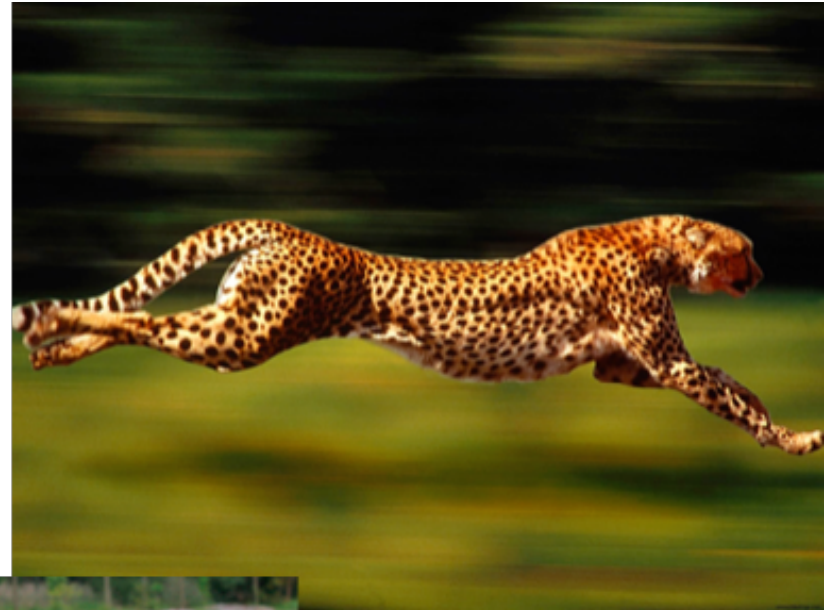
# Review session for final exam (Exam is Dec. 18<sup>th</sup>, alternative to be scheduled soon)



- A. Thursday 10<sup>th</sup> at 7pm
- B. Friday 11<sup>th</sup> at 5pm
- C. Saturday 12<sup>th</sup> at 2pm
- E. Other

TBD!

# Ch 9 – Work & Kinetic Energy



# Foothold ideas:

## Kinetic Energy and Work

- Newton's laws tell us how velocity changes. The Work-Energy theorem tells us how speed (independent of direction) changes.
- Kinetic energy =  $\frac{1}{2}mv^2$
- Work-energy theorem tells us how the kinetic energy will change as a result of exerting an external force  $W = \Delta KE$












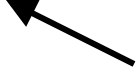
# Foothold ideas:

## Kinetic Energy and Work

- So how do we relate this idea of work back to forces?  $W_F = \vec{F} \cdot \vec{\Delta r}$
- The dot product here tells us that direction matters; which we know.
- Work done by a force  $W_F = \vec{F} \cdot \vec{\Delta r}$  or  $F_{\parallel} \Delta r$   
(part of force || to displacement)

Each row in the following table pairs a force vector with a corresponding displacement resulting in work  $W$  being done. In which of these rows is the work done zero?

---

	$\vec{F}$	$\Delta\vec{r}$
A.		
B.		
C.		
D.		
E.		

---



Each row in the following table pairs a force vector with a corresponding displacement resulting in work  $W$  being done. In which of these rows is the work done zero?

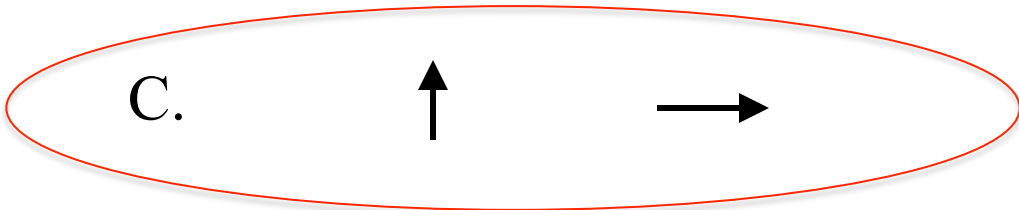


---

	$\vec{F}$	$\Delta\vec{r}$
A.		
B.		
C.		
D.		
E.		










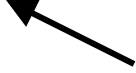
---

The force and the direction of the displacement vector are perpendicular so the work done is 0.



Each row in the following table pairs a force vector with a corresponding displacement resulting in work  $W$  being done. In which of these rows is the work done positive?

---

	$\vec{F}$	$\Delta\vec{r}$
A.		
B.		
C.		
D.		
E.		

---



Each row in the following table pairs a force vector with a corresponding displacement resulting in work  $W$  being done. In which of these rows is the work done positive?



---

	$\vec{F}$	$\Delta\vec{r}$
A.		
B.		
C.		
D.		
E.		

---

The force and the direction of the displacement vector are in the same direction – so the work is positive.