Types of thermodynamic processes

- Adiabatic: No heat transfer into or out of the system
- Isobaric: Pressure remains constant
- Isochoric: Volume remains constant
- Isothermal: Temperature remains constant
- Isenthalpic: Enthalpy remains constant
- Isentropic: A reversible adiabatic process where entropy remains constant



Heat transfer during various processes (for an ideal gas)
() Isobaric:
$$SP=0$$
, $R=n C(T_{T_{c}}) = n Cp(ST)$
 $PV=nRT$
 $W=\int pdV=p(Y-V_{c}) \implies SU=Q-W$ (V_{ros}
 $V=nRT$)
 $Charge of Extropy: $2S = \int \frac{dQ}{T} = \int_{T_{c}}^{T_{c}} nCp \frac{dT}{T} = MC ha(\frac{T_{c}}{T_{c}})$
(2) R_{c} thermal: $aT=0$, $aU=0$
 $aU=Q-W$ = $RT \ln(\frac{V_{c}}{V_{c}})$
 $\Delta S = \frac{Q}{T} = nR \ln(\frac{V_{c}}{V_{c}})$
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 $S= \int \frac{dR}{T} = \int_{T_{c}}^{T_{c}} nC_{0} \frac{dT}{T} = nC_{c} h(\frac{T_{c}}{T_{c}})$
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 $M = \int pdV = \int \frac{C}{V^{c}} dV = \frac{PV^{2}-C^{2}}{V^{c}}$ ($q=C_{c}TR$)
 $W = \int pdV = \int \frac{C}{V^{c}} dV = \frac{PV^{2}-C^{2}}{V-V_{c}}$ ($q=C_{c}TR$)
 $W = \int pdV = \int \frac{C}{V^{c}} dV = \frac{PV}{V-F_{c}}$ ($q=C_{c}TR$)
 $D = \int \frac{dR}{T} = -W$
 $\Delta S = \int \frac{dR}{T} = 0$$